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LEGO, October 18th 2013

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Wrong, it does!

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- (2) I'm probably asking the wrong person, but of John, Bill and Mary, who came to the party?
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but how?!

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I will show that none of this is necessary.



Part II: Focus!

Part III: Listen!

Exhaustivity without the opinionatedness assumption.

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Removing the last bits of contextual uncertainty.

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Exhaustivity without the opinionatedness assumption.

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Removing the last bits of contextual uncertainty.

Part III: Listen!

The effect of rising pitch.

- 2. Diagnosis
- 3. Theory
- 4. Results
- 5. Reflection

(3) a. Of John, Bill and Mary, who came to the party?
b. John came.
→ Mary didn't come

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 b. John came.
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- Intuition

(3b) and (3c) differ in their attentive content.

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 - (3c) draws attention to the poss. that Mary came too.

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- ▶ (And so does (3a).)

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- (3) a. Of John, Bill and Mary, who came to the party? b. John came. → Mary didn't come c. John came, or Mary and John. → Mary didn't come
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a richer (3b) and (3c) differ in their attentive content. semantics

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Intuition

a richer

→ Mary didn't come

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3. Theory

- 3.1. Translation into logic
- 3.2. Semantics
- 3.3. Pragmatics

- (4) a. Of John, Bill and Mary, who came to the party?b. John came.
 → Mary didn't come
 - c. John came, or Mary and John. $\stackrel{*}{\sim} M$
 - → Mary didn't come

(4) a. Of John and Mary, who came to the party?

b. John came. \rightarrow Mary didn't come

c. John came, or Mary and John.

Mary didn't come

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 - b. John came.

- → Mary didn't come
- c. John came, or Mary and John.
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- (4) a. John came, or Mary, or John and Mary.
 - b. John came.

- → Mary didn't come
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- (4) a. John came, or Mary, or John and Mary.
 - b. John came.
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(4) a. John came, or Mary, or John and Mary. $p \lor q \lor (p \land q)$ b. John came. p c. John came, or Mary and John. $p \lor (p \land q)$

Possibility: a set of worlds (a, b)

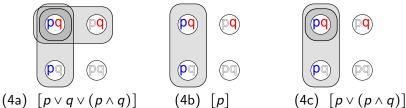
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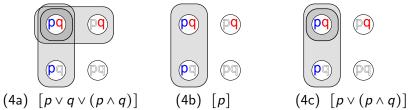
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(4a)
$$[p \lor q \lor (p \land q)]$$
 (4b) $[p]$ (4c) $[p \lor (p \land q)]$

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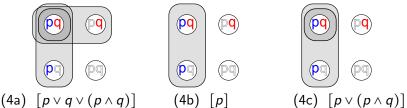


Entailment

A entails B, $A \models B$, iff

- (i) $\bigcup A \subseteq \bigcup B$; and
- (ii) for all $b \in B$, if $b \cap \bigcup A \neq \emptyset$, $b \cap \bigcup A \in A$

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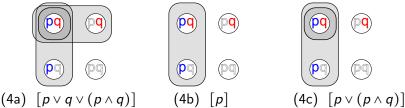
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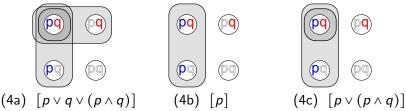
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Now, (4c) = (4a), but $(4b) \neq (4a)$.

The relevant maxims

- 1. Quality:
- 2. Quantity:
- 3. Relation:

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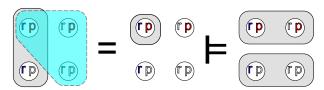
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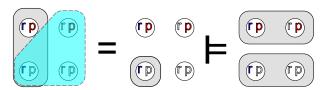
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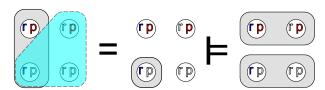
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- (5) Did John go to the party? It was raining. → If it rained, John {went / didn't go}.



(cf. Grice, 1975; Groenendijk and Stokhof, 1984; Roberts, 1996; Spector, 2007)

The relevant maxims

- 1. Quality: $s \subseteq \bigcup R$.
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4. Results

- 4.1. Examples
- 4.2. Formal results
- 4.3. And more conceptually...

(4) a. John came, Mary came, or both came $(p \lor q \lor (p \land q))$ b. John came. (p)

c. John came, or Mary and John. $(p \lor (p \land q))$

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$$(p \lor (p \land q))$$

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c. John came, or Mary and John.
$$(p \lor (p \land q))$$

1. $s \subseteq |p \lor (p \land q)| = |p|$ (Quality)

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c. John came, or Mary and John. $(p \lor (p \land q))$ 1. $s \subseteq |p \lor (p \land q)| = |p|$ (Quality) 2. $s \not\subseteq |q|$ (Quantity)

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1. s \subseteq |p \lor (p \land q)| = |p| (Quality)

2. s \not \subseteq |q| (Quantity)
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c. John came, or Mary and John. (p \lor (p \land q))

1. s \subseteq |p \lor (p \land q)| = |p| (Quality)

2. s \not\equiv |q| (Quantity)

3. - p \lor (p \land q) \models p \lor q \lor (p \land q) (Relation)
```

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 - b. John came. (p)

1.
$$s \subseteq |p|$$
 (Quality)

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1. $s \subseteq |p \lor (p \land q)| = |p|$ (Quality)
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 - 1. $s \subseteq |p|$ (Quality)
 - 2. $s \notin |q|$ (Quantity)

- c. John came, or Mary and John. $(p \lor (p \land q))$
 - 1. $s \subseteq |p \vee (p \wedge q)| = |p|$
 - 2. s ⊈ |q|
 - 3. -

 $b \wedge (b \vee d) \models b \wedge d \wedge (b \vee d)$

- (Quality)
- (Quantity)

- (4) a. John came, Mary came, or both came $(p \lor q \lor (p \land q))$
 - b. John came. (p)
 - 1. $s \subseteq |p|$

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(Quality)

(Quantity)

- c. John came, or Mary and John. $(p \lor (p \land q))$
 - 1. $s \subseteq |p \vee (p \wedge q)| = |p|$

(Quality)

2. *s* ⊈ |*q*|

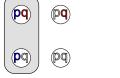
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 $pv(p \wedge q) \models pvqv(p \wedge q)$

(Quantity)

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 - b. John came. (p)
 - 1. $s \subseteq |p|$ 2. $s \notin |q|$
- b ₹ b^d^(b>d)

(Quality) (Quantity)





- c. John came, or Mary and John. $(p \lor (p \land q))$
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(Quality)

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3. -

 $p_{\lambda}(b \vee d) \models b_{\lambda}(a \wedge d)$

(Quantity) (Relation)

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$$b \nvDash_{iii} b \land d \land (b \lor d)$$

(Quality) (Quantity)





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(Quantity)

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(Quality) (Quantity)



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(Quality)

2. s ⊈ |q|

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(Quantity) (Relation)

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(Quality) (Quantity)





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(Quantity)

3. -

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 $b \nvDash b \wedge d \wedge (b \vee d)$

(Quality) (Quantity)



- c. John came, or Mary and John. $(p \lor (p \land q))$
 - 1. $s \subseteq |p \vee (p \wedge q)| = |p|$

(Quality)

2. *s* ⊈ |*q*|

3. -

 $pv(p \land q) \models pvqv(p \land q)$

(Quantity) (Relation)

- (4) a. John came, Mary came, or both came $(p \lor q \lor (p \land q))$
 - b. John came. (p)

```
1. s \subseteq |p|

2. s \notin |q|
p \not\models p \land q \land (p \land q)
                                                                                         (Quality)
                                                                                       (Quantity)
```

3. $s \subseteq \overline{|p|} \cup |q|$ or $s \subseteq \overline{|p|} \cup \overline{|q|}$ (Relation)

c. John came, or Mary and John. $(p \lor (p \land q))$

1.
$$s \subseteq |p \lor (p \land q)| = |p|$$
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 - 4. sign exhaustivity!

- c. John came, or Mary and John. $(p \lor (p \land q))$
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- (i) $\bigcup A \cap s \subseteq \bigcup Q$
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Main conclusion:

- If pragmatic reasoning is sensitive to attentive content (which it must be, to distinguish between (3b) and (3c));
- ▶ then *exhaustivity* is a conversational implicature.

5. Reflection

- 5.1. 'Alternatives'
- 5.2. Semantics
- 5.3. Semantic desiderata
- 5.4. 'Embedded' implicatures
- 5.5. 'Gricean'?

Existing approaches (since forever):

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Beware:

- These 'alternatives' are fully determined by the maxims.
- Speakers need not reason in terms of alternatives.

5.2. Semantics

Restriction

A restricted to b, $A_b := \{a \cap b \mid a \in A, a \cap b \neq \emptyset\}$

Semantics (Roelofsen, 2011)

- 1. [p] = {{ $w \in Worlds \mid w(p) = true$ }}
- 2. $[\neg \varphi] = {\overline{\bigcup[\varphi]}}$ if $\overline{\bigcup[\varphi]}$ is nonempty; \emptyset otherwise.
- 3. $[\varphi \lor \psi] = ([\varphi] \cup [\psi])_{|\varphi| \cup |\psi|} = [\varphi] \cup [\psi]$
- 4. $[\varphi \land \psi] = ([\varphi] \cup [\psi])_{|\varphi| \cap |\psi|}$

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Minimally, the semantics must lack the absorption laws:

▶ Absorption: $p \lor (p \land q) \equiv p \equiv p \land (p \lor q)$

5.3. Semantic desiderata

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Wh-words are existential quantifiers over sets.

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The problem has never been the Gricean approach as such, but rather how to find the right 'alternatives'.

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Many 'embedded' implicatures are in fact predicted.



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Besides: this is the only way.

End of Part I

Part II: Focus!

- 6. Cancellability
- 7. Exhaustivity and Focus
- 8. Anticipated 'but's

6. Cancellability

- 6.1. Grice on cancellability
- 6.2. Textbook examples
- 6.3. Non-cancellable by definition
- 6.4. Exhaustivity

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[...] since it is possible to opt out of the observation of [the Cooperative Principle], it follows that a conversational implicature can be cancelled in a particular case. (p.57)

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- (12) John or Mary. Oh, but I did not mean to imply not both.
- (13) It is raining. Oh, but it has stopped!

Some typical examples of cancellation:

- (8) On an unrelated note, it was raining.
- (9) John, or Mary, or both. *→ not both*

CI are computed *globally*...

'Prevention'

(cf. Geurts, 2010)

- (10) Will one of your parents be home? disambiguation'
 Sure, one of them will be home. Indeed, both will be home.
- (11) How many people will be home? One of my parents will be home. # Indeed, both will be home.

In (10), the CI wasn't there to begin with... (cf. Geurts, 2010)

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- (12) John or Mary. Oh, but I did not mean to imply not both.
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The speaker is changing her mind...

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Implicature cancellation (strict version)

For a consistent speaker to make a conversational implicature and subsequently cancel it.

However...

Cls in the sense of Grice (1975) cannot be cancelled in this sense:

1. CI is necessary for maintaining the cooperativity assumption.

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- 4. The speaker would be either uncooperative, or inconsistent.



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Now, if I'm correct:

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This makes the Gricean story much more generative...

7. Exhaustivity and focus

- 7.1. The focus principle
- 7.2. Focus vs. 'only'
- 7.3. Enforcing exhaustivity

7.1. The focus principle

▶ The maxims of Quantity/Relation refer to a QUD.

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Hence:

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Hence:

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This makes the Gricean story even more generative.

The foregoing is not to say that focus 'means' 'only':

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(14) If $[John]_F$ was there, Mary was there. (c.f., Horn, 1972) \neq If only John was there, Mary was there.

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- (14) If [John]_F was there, Mary was there.
 (c.f., Horn, 1972)

 ‡ If only John was there, Mary was there.
- (15) $[John]_F$ was there, and $[Mary]_F$ too. \neq Only John was there, and only Mary.

The foregoing is not to say that focus 'means' 'only':

- (14) If [John]_F was there, Mary was there. (c.f., Horn, 1972)

 ≢ If only John was there, Mary was there.

But at least for 'simple' sentences:

• '[Subject]_F predicate' \rightarrow 'only [Subject]_F predicate'.

We have eliminated the need for:

▶ an opinionatedness assumption.

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This is the way to enforce exhaustivity.

8. Anticipated 'but's

- 8.1. But... experiments!
- 8.2. But... mention some!
- 8.3. But... Hungarian!

Why do experiments show such mixed results?

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Why do experiments show such mixed results?

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- The experimental task may disable maxims;
- Intonation is not controlled for (e.g., final rise).

Contexts where, supposedly, exhaustivity is absent:

(16) Where can I buy an Italian newspaper? In the kiosk around the corner. → Nowhere else.

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ightarrow Nowhere else that is nearby, easy to explain, ...

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- But is it really absent?
 - We get exhaustivity as usual, but on a restricted domain.
 - No 'mention-some' when the domain is explicit:
- (17) Of the three nearby kiosks, where can I buy an IN? In the kiosk around the corner. → Not in the other kiosks.

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(Alternatively, use a final rise...)

Semantics of Hungarian focus (since Szabolcsi, 1981):

(18) [Amy and Ben]_F saw Cleo. \models [Amy]_F saw Cleo.

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Proposal:

Hungarian focus conveys that the domain is 'wide'.

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- ▶ But if English focus already conveys mandatory exhaustivity...
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- Hungarian focus conveys that the domain is 'wide'.
- (21) Of Amy, Ben, and John, [Amy and Ben]_F saw Cleo. $\not\models$ Of Amy, Ben, and John, [Amy]_F saw Cleo.



End of Part II

Part III: Listen!

9. Preventing exhaustivity: the rising pitch

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- 9.1. The sentence-final rise
- 9.2. Deriving the readings
- 9.3. General results
- 9.4. Interrogatives
- 9.5. Multiple foci

(22) Of John, Bill and Mary, who came to the party?

John came

→ Mary and Bill didn't.

(22) Of John, Bill and Mary, who came to the party?

John came ⋆.

Mary and Bill didn't.

...wait, there's more.

→ ...wait, there's more.

→ ...perhaps that implies sth. about M&B?

→ ...wait, there's more.

→ ...perhaps that implies sth. about M&B?

 \rightarrow ...but I'm not sure.

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→ ...did I make myself clear?

- - → ...wait, there's more.
 - → ...perhaps that implies sth. about M&B?
 - c. John came [⋆]H.
 - → ...but I'm not sure.
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Proposal

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2. Its pitch conveys emotivity. (Banziger & Scherer, 2005)

(Manner)

Proposal

- 1. The final rise marks the violation of a maxim.
- 2. Its pitch conveys *emotivity*. (Banziger & Scherer, 2005)
- This reflects the severity of the violation:
 ^H: Quality/Manner; (cf. Ward & Hirschberg, 1992)
 ^L: Quantity/Relation.

(22) Of John, Bill and Mary, who came to the party? John came ₹^L. → Mary and Bill didn't. → ...wait. there's more. (Quantity) → ...perhaps that implies sth. about M&B? (Relation) c. John came z^H. → ...but I'm not sure. (Quality) → ...did I make myself clear? (Manner)

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(23) Of J and M, who came to the party?

John came

✓.

$$(p \lor q \lor (p \land q))$$
 (p)

(23) Of J and M, who came to the party? $(p \lor q \lor (p \land q))$ John came 7. (p)

wait, there's more.	(Quantity)
perhaps that implies sth. about Mary?	(Relation)
but I'm not sure.	(Quality)
did I make myself clear?	(Manner)

(23) Of J and M, who came to the party? $(p \lor q \lor (p \land q))$ John came \nearrow . (p) 1. $s \subseteq |p|$. (Quality) 2. $s \notin |q|$. (Quantity) 3. $s \subseteq |p| \cup |q|$ or $s \subseteq |p| \cup |q|$. (Relation)

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...wait, there's more. (Quantity)
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(23) Of J and M, who came to the party? (p \lor q \lor (p \land q))
John came \nearrow. (p)

1. s \subseteq |p| (Quality)
2. s \notin |q| (Quantity)
3. s \subseteq |p| \cup |q| or s \subseteq |p| \cup |q| (Relation)
4. The speaker thinks she is clear, concise, etc. (Manner)
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    (Quality)
    (Manner)
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```
(23) Of J and M, who came to the party? (p \lor q \lor (p \land q)) John came \nearrow. (p)

1. s \subseteq |p| (Quality)
2. s \notin |q| (Quantity)
3. s \subseteq |p| \cup |q| or s \subseteq |p| \cup |q| (Relation)
4. The speaker doesn't think she's clear, concise, etc.
```

```
✓ ...wait, there's more.
✓ ...perhaps that implies sth. about Mary?
✓ ...but I'm not sure.
(Quality)
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9.2. Deriving the readings

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Readings

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My approach unifies existing approaches:

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Attentive content is crucial for the Relation readings.



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Noteworthy:

- Attentive content is crucial for the Relation readings.
- Conjunctive lists: Quantity (I will say more!);
 Disjunctive lists: Relation (I will attend more!)



Work in progress

Upon seeing John's shoes in the hallway:

- (24) Oh, is John home ↗
- (25) Oh, is John home \>

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The rise in polar questions: 'there are more possibilities' (Relation).

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- (24) patterns with disjunctive lists:
- (26) ?? Oh, is John home ≯, or not \

Work in progress

(27) Who had what for lunch? a. $[John]_F$ had the $[beans]_F$.

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(27) Who had what for lunch?a. [John]_F \(\simega\) had the [beans]_F \(\simega\).

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(27) Who had what for lunch? a. $[John]_F \setminus had$ the $[beans]_F \setminus .$ $\rightarrow John had only beans; <math>\rightarrow only John had something.$

Work in progress

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a. [John]<sub>F</sub> \( \) had the [beans]<sub>F</sub> \( \).  

→ only John had something.
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→ John had only beans;
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Work in progress

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(27) Who had what for lunch?

a. [John]_F \setminus had the [beans]_F \setminus had only beans;

\rightarrow only John had something.
```

- b. $[John]_F \nearrow$ had the $[beans]_F \searrow$. \longrightarrow John had only beans; $\not\sim$ only John had something.
- c. $[John]_F \setminus had$ the $[beans]_F \nearrow$. \checkmark John had only beans; \rightsquigarrow only John had the beans.

Work in progress

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(27) Who had what for lunch?
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d. [\mathsf{John}]_F \nearrow \mathsf{had} the [\mathsf{beans}]_F \nearrow . \rightarrow \mathsf{John} had only beans;
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► [...]_F \nearrow is known as *contrastive topic* (Büring, 2003).

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a. [\mathsf{John}]_{\digamma} \setminus \mathsf{had} the [\mathsf{beans}]_{\digamma} \setminus ... \rightarrow \mathsf{John} had only beans; \rightarrow \mathsf{only} John had something. b. [\mathsf{John}]_{\digamma} \nearrow \mathsf{had} the [\mathsf{beans}]_{\digamma} \setminus ... \rightarrow \mathsf{John} had only beans; \rightarrow \mathsf{only} John had something. c. [\mathsf{John}]_{\digamma} \setminus \mathsf{had} the [\mathsf{beans}]_{\digamma} \nearrow ... \rightarrow \mathsf{John} had only beans; \rightarrow \mathsf{only} John had only beans; \rightarrow \mathsf{only} John had only beans; \rightarrow \mathsf{only} John had something.
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- ▶ $[...]_F$ is known as *contrastive topic* (Büring, 2003).
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- My account might enable a compositional analysis.

End of Part III

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- ▶ The final rise conveys a maxim violation.
- 'Relation' reading requires attentive content.
- Polar questions? Contrastive topic?



The End

Articles

- Exhaustivity through the maxim of Relation (LENLS proceedings, see staff.science.uva.nl/~westera/)
- 'Attention, I'm violating a maxim!' (submitted, available through me)

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Appendix A. Other maxims of Relation

i.
$$R_s \vDash Q$$
 (mine)

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$$R_s \models Q$$
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ii. $R_{CG} = Q$ (Roberts's (1996) contextual entailment)

- i. $R_s \models Q$ (mine)
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- i. $R_s \models Q$ (mine) ii. $R_{CG} \models Q$ (Roberts's (1996) contextual entailment) iii. $R_h \models Q$ (\approx GS's (1984) pragmatic answer)
- ii. and iii. are too strong:
 - ▶ The participants need not *already know* how *R* is relevant.

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- The participants need not already know how R is relevant.
- They need only be able to figure it out. (left implicit here)
- (5) Did John go to the party? It was raining. → If it rained, John {went / didn't go}.



 $R_s \vDash Q$ 'the speaker knows how R is related to Q'

 $R_s \models Q$ 'the speaker knows how R is related to Q'

Relatedness

A is related to Q in world w iff for some fact f, $w \in f$, $A_f \models Q$.

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A is related to Q in world w iff for some fact f, $w \in f$, $A_f \models Q$.

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- The speaker knows that A is related to Q iff in all w ∈ s, A is rel. to Q.
- The speaker knows how A is related to Q iff in all w ∈ s, A is related to Q by the same f.

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- ▶ The speaker *knows that A* is related to Q iff in all $w \in s$, A is rel. to Q.
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Now:

For all A, Q true in w: there is a fact f, $w \in f$, s.t. $A_f \models Q$.

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Within a world, everything is related.



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- (22) Dogs and cats are mammals. (Logical cons.)

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Logical consequence is logical relatedness.



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Connecting this to the literature is a work in progress.

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But an account based on *objective* maxims would also work:

Final rise: 'For some maxim, I'm not sure whether or how I comply with it'.

Example given by Fox (forthcoming):

(25) There's money in box A or in box B!

 $(p \lor q)$

 \rightarrow Not in both.

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1.
$$s \subseteq |p| \cup |q|$$
 (Quality)

3.
$$s \subseteq \overline{|p| \cup |q|} \cup (|p| \cap |q|)$$
 or $s \subseteq \overline{|p| \cup |q|} \cup \overline{|p| \cap |q|}$ (Relation)

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